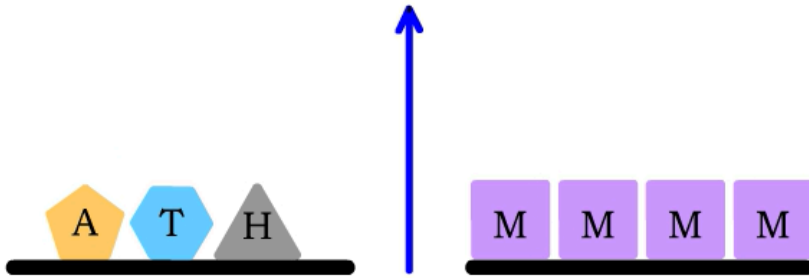
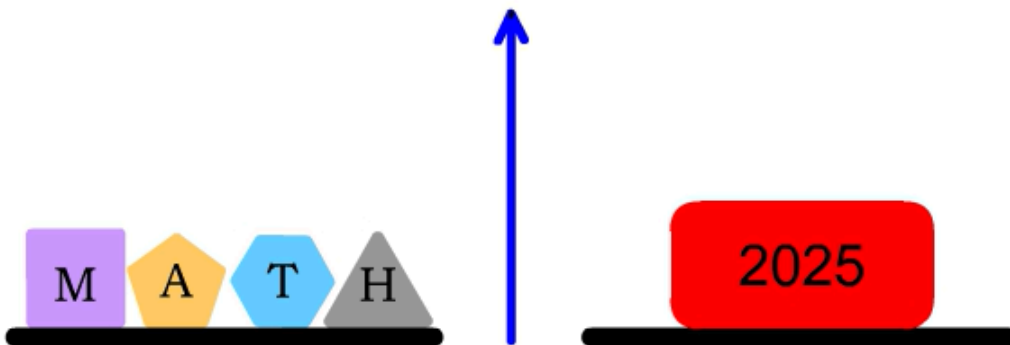


On a :

$$4 \times M = A + T + H ;$$



$$M + A + T + H = 2025 \text{ g} ;$$



$$\rightarrow M + (4 \times M) = 2025$$

$$\rightarrow 5 \times M = 2025$$

$$\rightarrow M = 2025/5 = 405 \text{ g}$$

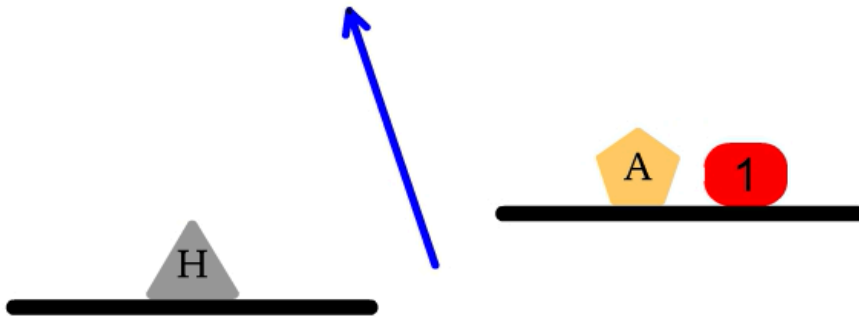
On déduit la somme $A + T + H = 5 \times M - M = (5 - 1)M = 4 M$

1) $2025 - 405 = 1620 \text{ g}$

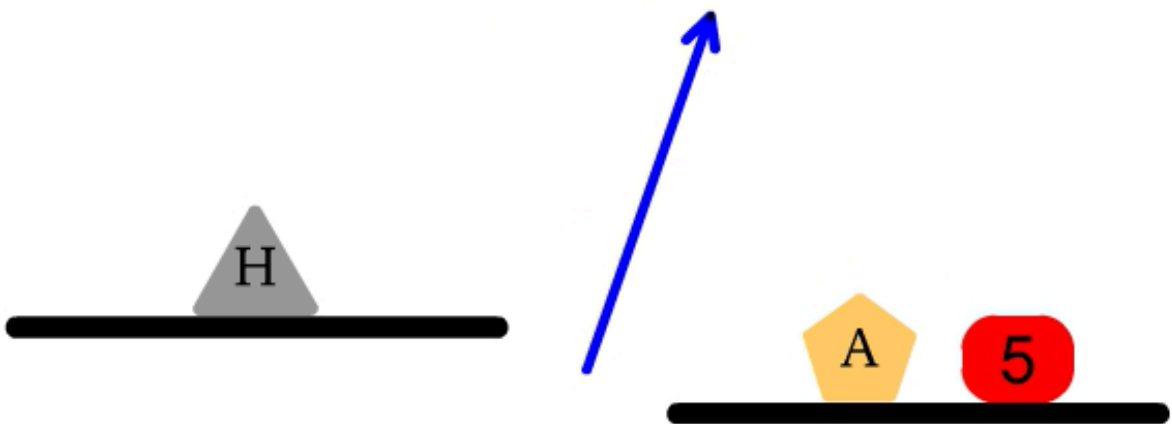
2) $4 \times 405 = 1620 \text{ g}$

On a aussi :

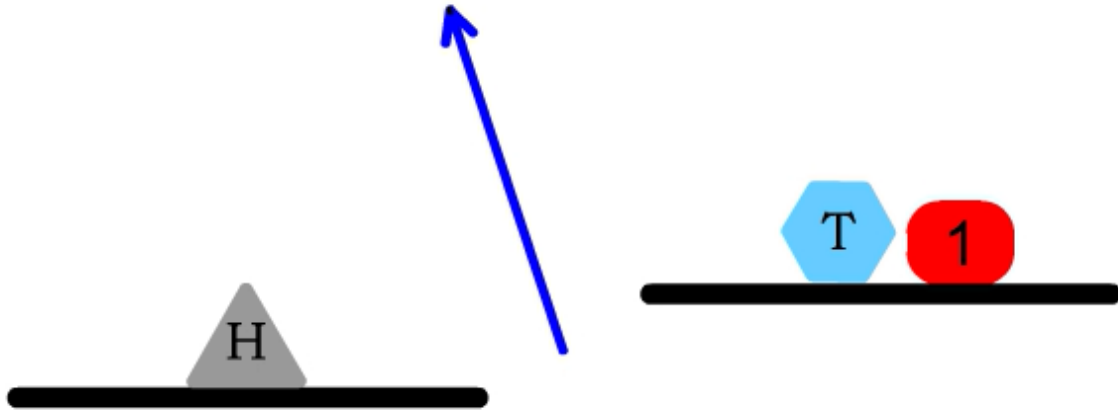
$H > A + 1 ;$



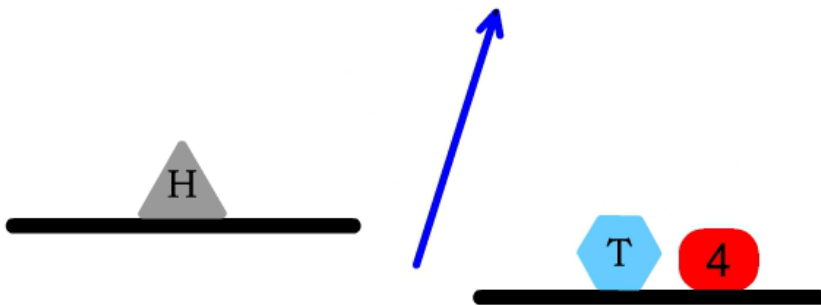
$H < A + 5 ;$



$$H > T + 1 ;$$



$$H < T + 4 ;$$



On en déduit deux encadrements de H :

$$A + 1 < H < A + 5$$

$$T + 1 < H < T + 4$$

On suppose que :

$$H = A + 4$$

$$H = T + 2$$

Ces équations vérifient l'encadrement de H car

$$A + 1 < A + 4 < A + 5. \text{ et } T + 1 < T + 2 < T + 4$$

On a alors :

$$A = H - 4$$

$$T = H - 2.$$

On exprime $A + T + H$ en fonction de H :

$$A + T + H = H - 4 + H - 2 + H = 3H - 6 = 1620$$

$$3H = 1620 + 6 = 1626$$

$$H = 1626 / 3 = 542 \text{ g}$$

$$A = 542 - 4 = 538 \text{ g}$$

$$T = 542 - 2 = 540 \text{ g}$$

Ainsi les valeurs de A, T, et H vérifient l'égalité $A + T + H = 1620 \text{ g}$

$$\rightarrow 538 + 540 + 542 = 1620 \text{ g}$$

$$\text{Ainsi } M + A + T + H = 2025 \text{ g}$$

$$M = 405 \text{ g}$$

$$A = 538 \text{ g}$$

$$T = 540 \text{ g}$$

$$H = 542 \text{ g}$$